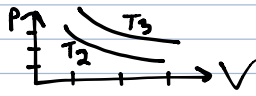


- ch 03 so.html
1. T increase
 2. P increase (isovolumetric)
 3. isothermal expansion
 4. phase change

PV diagrams



isotherms: $T = \text{constant}$ $PV = \text{constant}$ $T_3 > T_2$
 curves look like $y = \frac{1}{x}$ which makes sense since

$$P \propto \frac{1}{V}$$

if $V = \text{constant}$, then a PV diagram looks like

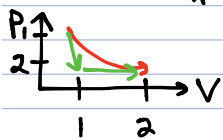
An automobile is also a thermodynamic process. Consider a piston



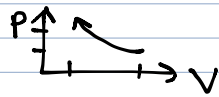
Combustion raises T, P \uparrow gases do work on piston

$$dW = F \cdot dx = pA \cdot dx = p dV$$

$$W = \int dW = \int_{V_1}^{V_2} p dV$$

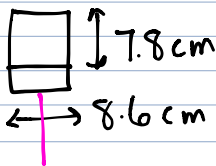


Work depends on path! The two areas under the curves differ



gas does "negative" work on the piston (piston does positive work on the gas)

example A Porsche Boxster has a 6-cylinder engine with a stroke length of 7.8 cm, a bore (cylinder diameter) of 8.6 cm, a total volume of 2687 cm^3 , and a compression ratio of 11.3:1. Find the horsepower @ 7200 rpm



$$W = \int p dV = \int \frac{NkT}{V} dV \approx NkT \int \frac{dV}{V} = NkT \ln \frac{V_2}{V_1}$$


$$= P_1 V_1 \ln \frac{V_2}{V_1}$$

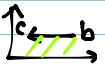
Suppose $P_1 = 1.01 \cdot 10^5 \text{ Pa}$, $T_1 = 300 \text{ K}$, $V_1 = 2687 \text{ cm}^3$

$$\rightarrow W = 660 \frac{\text{J}}{\text{Stroke}} \cdot \frac{7200 \text{ rev/min}}{60 \text{ sec/min}} = 7.8 \cdot 10^4 \text{ J/s}$$

$$= 106 \text{ hp} \quad 1 \text{ hp} = 746 \text{ W}$$

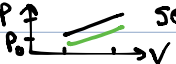
(reality 245 hp)

Gas expands  work done is positive (area under curve)

Gas contracts  work done to compress gas (negative of area under curve is gas' work)

P increased w/out changing V  NO work done by (or on) gas

Total work done by the gas is positive, since $W_{ab} + W_{bc} + W_{ca} > 0$

53.html  sea level more work at sea level

52.html rankings high to low IB, L, IT, A, IV

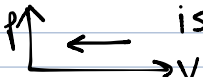
1st Law of Thermo

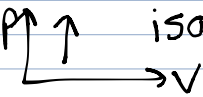
$\Delta U = Q - W$ where ΔU is the internal energy (KE+PE) of a system
adding heat Q increases U

doing work W decreases U

 isothermal $T = \text{constant}$ $\Delta U = 0$ since $U \sim \frac{3}{2} NKT$


$\rightarrow Q = W$ (and since $W > 0$ then $Q > 0$)

 isobaric volume decreases $\rightarrow W$ by gas is < 0 e.g. cool a balloon w/ LN_2

 isochoric no change in $V \Rightarrow W = 0 \Rightarrow \Delta U = Q$
e.g. heat a sealed box

53.html why does the propane canister get frosted?

escaping liquid propane phase transitions to a gas, which requires energy (from the canister)

54.html  $|W_{\text{top part}}| > |W_{\text{bottom part}}|$
and $W_{\text{top}} > 0$

1 (A)

2 (B)

3 (A)

4 (A)

5. (c) $\Delta U = Q - W$
 $U \sim \frac{3}{2} NkT$ $\Delta U \sim \Delta T$

For a complete loop,

6. (A) $\Delta U = 0$ for the same reason as for #5
 $\rightarrow \Delta U = Q - W = 0$
 $\rightarrow Q = W$

$P_i V_i = P_f V_f \Rightarrow T_i = T_f$

7. (B) same kind of reasoning...

8. (A) $|Q_I| > |Q_{II}|$ and $Q_I > 0$