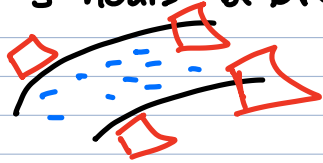


ch 9

Setting: The Metrodome, Minneapolis Oct 1987

3 hours before Game 2 of the World Series

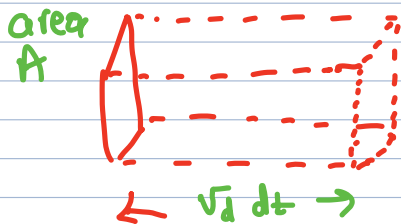


kiosks for popcorn, programs

My typical unimpeded speed is 10^6 m/s

but my average drift velocity $\vec{v}_d \sim 0$ m/s

The "people current" when pulled by the "field" is $v_d \sim 10^{-4}$ m/s
passes through a door in time dt



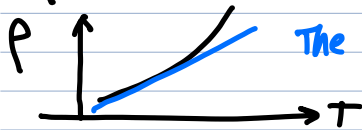
people in this volume is $\frac{\text{people} \cdot \text{volume}}{\text{Volume}}$

$$\approx \frac{\text{people}}{\text{volume}} v_d dt A$$

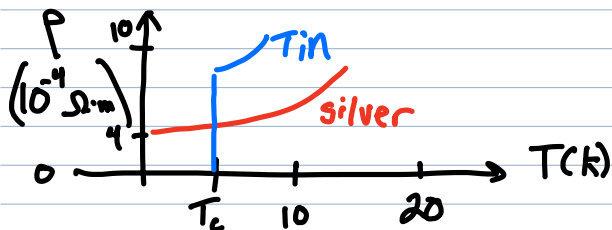
$$\rightarrow \frac{\text{people}}{\text{time}} \approx \text{people current} = \frac{\text{people}}{\text{volume}} v_d \cdot A$$

On an atomic level, faster speeds \rightarrow increased temperature

$$\rho(T) \propto \text{change in } T: \rho(T) = \rho_0 + \rho_0 \alpha (T - T_0)$$



The relation isn't perfectly linear, but it's a reasonable approximation for a range of $\sim 100^\circ\text{C}$



Q: Why does a light bulb turn on instantly, even though $v_d \sim 10^{-4}$ m/s
 \rightarrow e.g. an e^- takes ^{nearly} ~ 3 hours to travel 1m!

A: $e^- e^- e^- e^- e^- e^-$ only need e^- s at the ends to move into the bulb

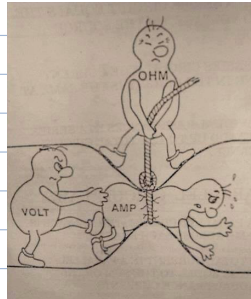
$$R \propto \frac{\rho L}{A}$$

R = resistance
 ρ = resistivity

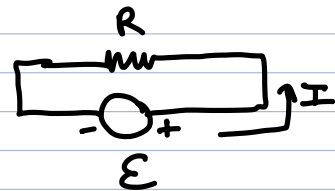
A = cross-sectional A
 L = length

Think of "how much flow" vs "how much push"

$$R = \frac{V}{I}$$



I = current



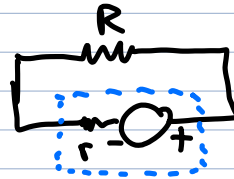
DC circuits

- V : potential drop across resistor
- R : resistance of resistor
- \mathcal{E} : potential provided by battery
- I : current

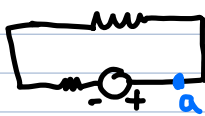
In this case, all of the battery's potential is "lost" in traversing the resistor: $V = \mathcal{E}$

A more realistic depiction:

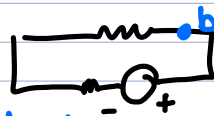
batteries have internal resistance



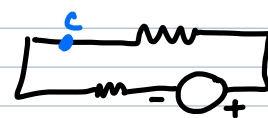
Q: what is current through R ?



$$V_a = \mathcal{E}$$



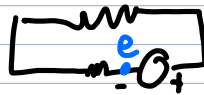
$$V_b = V_a = \mathcal{E}$$



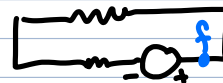
$$V_c = V_d - IR = \mathcal{E} - IR$$



$$V_d = V_c = \mathcal{E} - IR$$



$$V_e = V_d - I r = \mathcal{E} - IR - I r$$

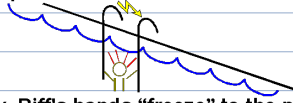


$$V_f = V_e + \mathcal{E} = 2\mathcal{E} - IR - I r$$

also, $V_f = V_a = \mathcal{E} \Rightarrow 2\mathcal{E} - IR - I r = \mathcal{E} \Rightarrow I = \frac{\mathcal{E}}{R + r}$

Alternatively: $\sum V = 0 \rightarrow \mathcal{E} - IR - Ir = 0 \rightarrow I = \frac{\mathcal{E}}{R+r}$

Biff and Sasha are swimming in a pool. Sasha thought it would be "funny" to apply a 20 V potential difference across the two metal posts of the ladder.



From initial scenario: $R = \frac{V}{I} = \frac{20V}{20mA} = 1000\Omega$

Unfortunately, Biff's hands "freeze" to the posts: the current through him is 20 mA.

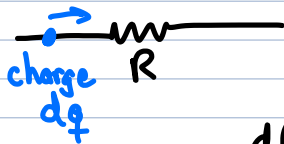
$\rightarrow \Delta V = IR = (0.1A)(1000\Omega) = 100V$ (A)

What ΔV would produce 100 mA? (thus inducing ventricular fibrillation)

- a) 100 V
- b) 1 V
- c) 1,000 V
- d) 500 V

$20V = 20mA \cdot R$
 $?V = 100mA \cdot R$

Power A 20mA current thanks to Sasha can affect you.
 \rightarrow energy is transferred, but at what rate?



work to push charge dq through resistor is $\Delta V dq$

$dPower = \frac{dW}{dt} = \frac{\Delta V dq}{dt} = \Delta V \cdot I$

$P = IV$
 $= I(IR) = I^2 R = V^2/R$



50 W



100 W

What is the resistance ratio of a 50 W bulb and a 100 W bulb? $R_{50}/R_{100} =$

- a) 1/1
- b) 2/1
- c) 1/2
- d) 0/ ∞