

Poll everywhere



When poll is active respond at **PollEv.com/nikhilpatten355**

Send nikhilpatten355 to 22333



Poll everywhere



results

Poll everywhere



$$\alpha = 88.792939 ^{\circ} \times \frac{1 \text{ h}}{15 ^{\circ}}$$

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$$\alpha = 5.9195 \text{ h}$$

$$\alpha = 5 \text{ h} + 0.9195 \text{ h} \times \frac{60 \text{ m}}{1 \text{ h}}$$

$$\alpha = 5 \text{ h} + 55.171756 \text{ m}$$

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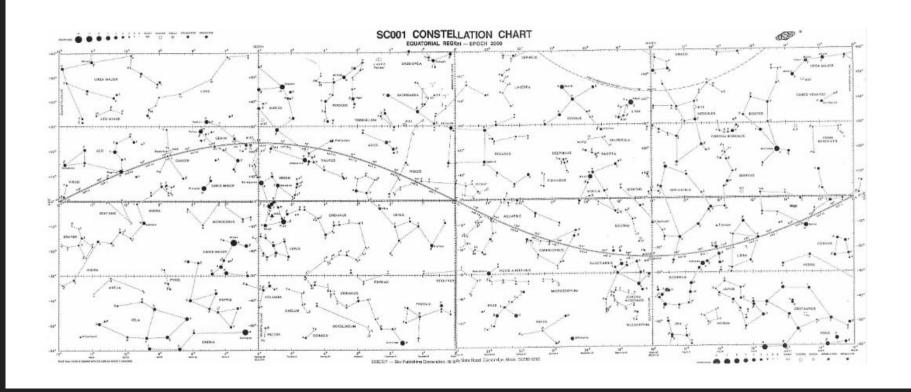
$$\alpha = 5 \text{ h} + 55 \text{ m} + 0.171756 \text{ m} \times \frac{60 \text{ s}}{1 \text{ m}}$$

$$\alpha = 5 \text{ h} + 55 \text{ m} + 10.31 \text{ s}$$

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The ecliptic

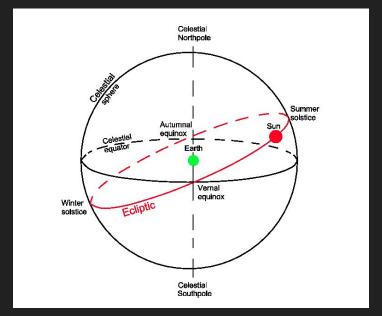




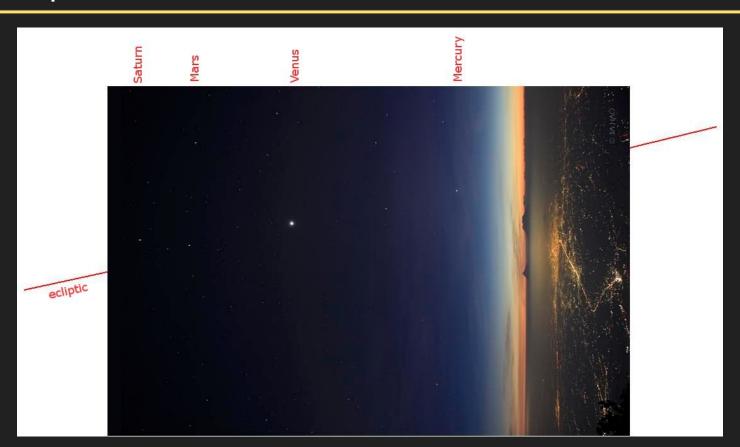


The ecliptic

- Plane above and below the celestial equator.
- Path the Sun takes throughout the year.
- Eclipses occur when the Sun and Moon intersect on the ecliptic.



The ecliptic







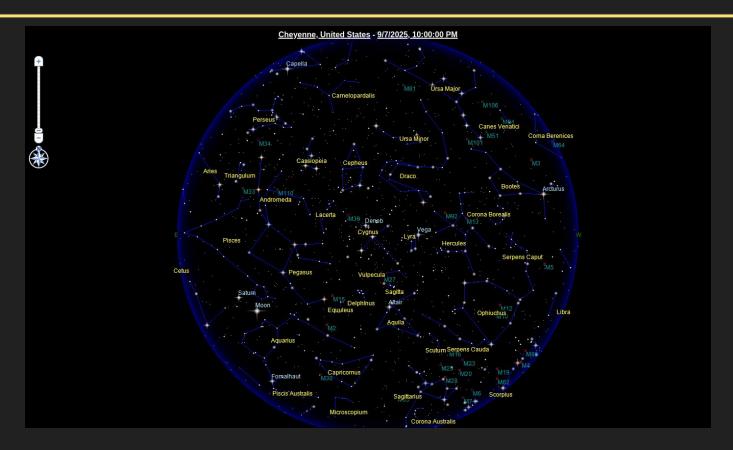
Constellations along the ecliptic.



Zenith



- Position on the sky straight up.
- Declination of the zenith is always your observation latitude on Earth

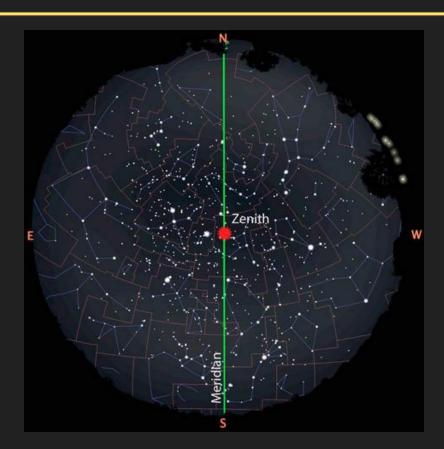




Sidereal Time

- Measure of time of Earth's rotation rate with respect to fixed background stars.
- Local Mean Sidereal Time (LMST)- Right Ascension of stars crossing the meridian

Sidereal Time





The Sun throughout the year

- Right Ascension and Declination of the sun are changing throughout the year.
- The Sun has 0 ° Declination on the equinoxes
- The Sun has +23.5 ° declination on the summer solstice (higher in the North).
- The Sun has -23.5 ° declination on the winter solstice (lower in the North).
- The Sun's right ascension is 0 ° on the vernal equinox



The Sun throughout the year

Date	Right Ascension of the Sun
21 March	0 h
21 May	4 h
21 July	8 h
21 September	12 h
21 November	16 h
21 January	20 h

Sun's right ascension increases two hours every month.

Question



- Find the speed of the Sun (only in right ascension, ignore declination) per day.
 - 3.94' per day
 - b. 0.0657' per dayc. 30.4' per day d. 237' per day

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$$speed = \frac{distance}{time}$$

$$speed = \frac{24 \text{ h}}{365.25 \text{ days}}$$

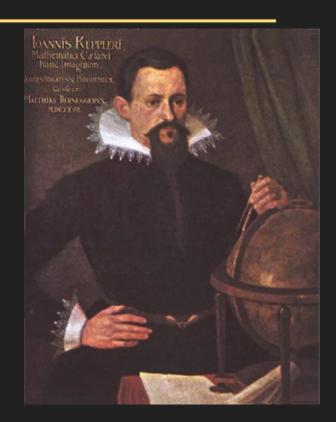
$$speed = 0.065708 \text{ h per day}$$

$$speed = 0.065708 \text{ h per day} \times \frac{60'}{1 \text{ h}}$$

3.94' per day



- Johannes Kepler began studying the precise position of planets.
- Only allowed access to data when his mentor,
 Tycho Brahe, died in 1601.
- Copernican model was winning more and more supporters (Galileo's observations took place around 1609).
- Published his analysis in 1609.





- Each planet orbits the Sun in an ellipse, with the Sun at one focus.
- 2. A planet sweeps out equal areas in equal times in its orbit.
- 3. The square of the planet's orbital period is proportional to the cube of it's semi-major axis.

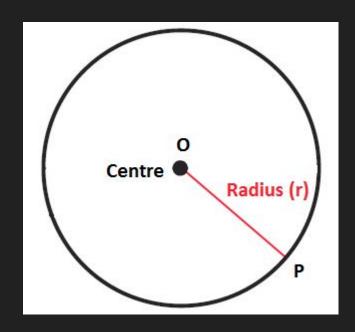


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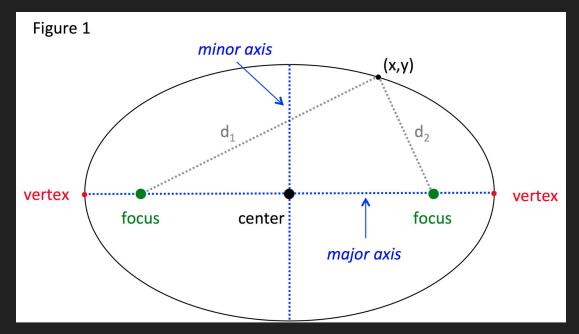


- His analysis of Mars was accurate to within two arcminutes.
- He became convinced that circles could not explain the predicted positions of planets precisely.
- Imagining the Sun as the source of planetary motion (weakens with distance) he then conceived of elliptical orbits.
- This new conception fit the data perfectly.
- All planets move in elliptical orbits.



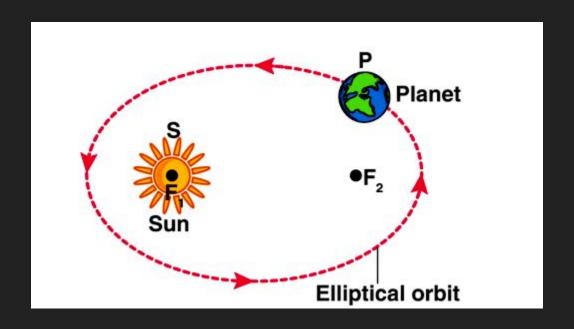






 When the minor axis equals the major axis, the ellipse reduces to a circle, focus is at the center.

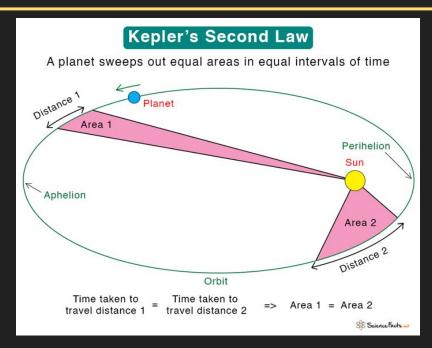






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Planet's speed up closer to the Sun, move slower when further away.



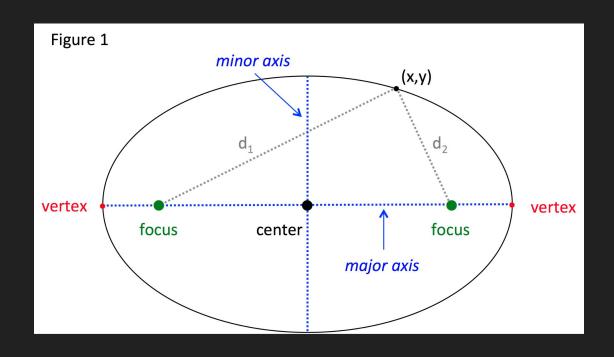
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- Orbital period- time it takes the planet to move around the Sun once.
- Semi-major axis- Half the major axis of the planet's ellipse.







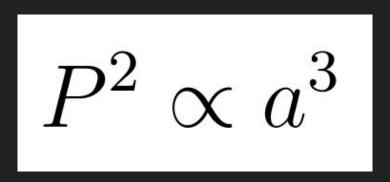
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- When dealing with unknown orbits, compare to another orbit around the same body.
 - Question about orbits around the Sun, use the Earth's semi-major axis (1 AU) and period (1 year).
 - Question about orbits around Earth, use the Moon's semi-major axis (3.844E8 m) and orbital period (27.3 days)
- Call reference body P₁,a₁ and unknown body P₂,a₂.

$$\frac{P_1^2}{P_2^2} = \frac{a_1^3}{a_2^3}$$



- 2. How many years is Neptune's orbital period? Neptune's semi-major axis is 30.07 AU.
 - a. 203.7 years
- b. 164.9 years
- c. 84.02 years
- d. 247.9 years



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$$\begin{aligned} \frac{P_1^2}{P_2^2} &= \frac{a_1^3}{a_2^3} \\ P_1^2 &= P_2^2 \frac{a_1^3}{a_2^3} \\ P_2^2 &= P_2^2 \frac{a_2^3}{a_1^3} \\ P_2 &= \sqrt{P_1^2 \frac{a_2^3}{a_1^3}} \end{aligned}$$

$$P_{2} = P_{1} \sqrt{\frac{a_{2}^{3}}{a_{1}^{3}}}$$

$$P_{2} = P_{1} \left(\frac{a_{2}}{a_{1}}\right)^{3/2}$$

$$P_{2} = (1) \left(\frac{30.07}{1}\right)^{3/2}$$

$$P_{2} = 164.9 \text{ years}$$



Announcements

- You should be able to do the homework now (let me know if you have any questions).
- Next class will be in the planetarium!

Next time



Orbits in the Solar System